

~~##~~ 01/06/20

(1 u.m.u = 931 MeV)

## Radiotracer Technique → Defination

It can be defined as technique which ~~utilizes~~ ~~uses~~ a labelled compound to find out or to trace the diff. intermediates and various steps in biosynthetic pathways in plants, at a given state & time.

OR

In this technique diff. isotopes mainly the radioactive isotopes which are incorporated into presumed precursor of plant metabolites are used as marker

OR

A radioactive tracer, or radioactive label is a chemical compound in which one or more atoms have been replaced by a radioactive decay it can be used to explore the mechanism of a reaction by tracing the path that the radioisotope follows from reactant to products. To radiolabeling in this the radioactive form of isotopes labelling.

Tracers Techniques -

Methods

Detection limit

- 1. The nuclear methods  $10^{-6}$  g (or 1 ppm)
- 2. Atomic absorption spectroscopy  $10^{-9}$  g (0.1 ppb)
- 3. Radioactivity  $10^3$  thousands of atoms

e.g., Seaborg detected some of Technetium elements less than 10 atoms.

Example - Surface area determination of a porous or pre-adsorbate -

Principle - When a ppt is in contact with it saturates the surface of the solid phase and the extent of exchange depends on the surface area of the porous & intrinsic readily measured

if the soln. is initially labelled with a radioactive isotope. At equilibrium total amount of substance on surface

Total active atoms on surface = Total amount of substance on surface

Procedure - 20.0g Barium Sulphate

- A saturated soln. of sod sulphate is added with 0.1 g of tracer  $\text{Na}_2^{35}\text{SO}_4$  (i.e.  $^{35}\text{S}$  isotope) of high specific activity.
- Let the soln. ~~possess~~ possess specific activity  $S_1$  counts/min/ml
- 1 g of given  $\text{BaSO}_4$  ppt sample is taken and to it are added say V ml of labelled  $\text{Na}_2\text{SO}_4$  soln.
- A rapid isotopic exchange occurs b/w the labelled & unlabelled  $\text{SO}_4^{2-}$  ions as



Therefore,

Total  $\text{SO}_4^{2-}$  on surface = Active  $^{35}\text{S}$  on surface

→ Total sulphate starch for active + inactive sulphate.

→ The ppt is centrifuged & the reduced specific activity of the soln. is measured (=  $S_2$  counts/min/ml)

→ The activity transferred from the soln to the surface of  $\text{BaSO}_4$  ppt is  $(S_1 - S_2)$  & that remaining in soln is  $S_2$

→ Since each sulphate ion corresponds to one  $\text{BaSO}_4$  entity in ppt. and one  $\text{Na}_2\text{SO}_4$  in soln.

Total  $\text{BaSO}_4$  entities on surface =  $\frac{S_1 - S_2}{S_2}$

On <sup>text</sup> eg, all the quantities except the numerator of the left hand side are known (only it is  $a'$ )

on dividing the formula with respect of  $\text{BaSO}_4$  (= 225) by its density ( $d$  g/cm<sup>3</sup>) & by the Avogadro constant

(L), one obtains the surface area  $b$  of one  $\text{BaSO}_4$  entity.

$$b = (M/ML)^{2/3}$$

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 Total surface area of BaSO<sub>4</sub> =  $a \times b$

Ex 2 Direct isotope dilution Analysis (DIDA)

Principle - The technique was developed by Herys & Hobbs in 1930. The technique is based on addition of radioactive species same as the unknown species. The sample containing say X g of species, Y g of a radioactive isotope from the mixture and its final specific activity is determined. Obviously S<sub>f</sub> would be less than S<sub>i</sub>. Just with these two measurements the unknown amount X is calculated on the principle of conservation of total radioactivity i.e. initial total activity is equal to the final total radioactivity.

	Amount	Specific activity
Initial	X g of compound	0
	Y g of labelled compound added	S <sub>i</sub>
Final	(X+Y) g of mixture	S <sub>f</sub>
Since	initial total radioactivity = final total radioactivity	
	$YS_i = (X+Y) S_f$	
	$X = Y \cdot (S_i - S_f) / S_f$	

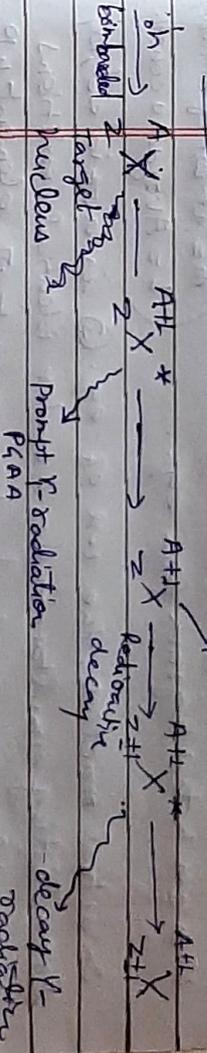
Inverse isotope dilution Analysis (IIDA)

Initial	X g of active compound	S <sub>i</sub>
	Y g of inactive compound added	0
Final	(X+Y) g of mixture	S <sub>f</sub>
Since	$XS_i = (X+Y) S_f$	

"Happiness is when you do not know what you are doing" - Albert Einstein

Ex 3 Neutron Activation Analysis (NAA)

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 ⇒ The analytical technique in which radioactive emission are monitored from a sample that has been bombarded with neutrons.  
 ⇒ In activation analysis is sensitive multielement analytical technique used for both qualitative and quantitative analysis of major, minor or trace and rare elements. ⇒ NAA is a method for qualitative quantitative determination of elements based on measurement of characteristic radiation from radionuclides formed directly or indirectly by neutron irradiation of substance.  
 ⇒ NAA was discovered in 1936 by George de Hevesy (Hungary) and Hilda Levi (Denmark).



S<sub>f</sub> is also called as Non-destructive Technique.

The element which permit n-activation analysis include Na, P, Ca, Sc, Cr, Mn, Co, Cu, Zn, Fe, At, Se, Ag, In, W, Ir, Pt, Au & others. Some of rare earth elements as Sm, Eu, Gd, Dy, Ho, Yb are also. The activity A<sub>t</sub> produced is given by

$$N = x \cdot \phi \cdot \sigma \cdot (1 - e^{-\lambda t})$$

where  $\phi$  = neutron flux (No. of neutrons/cm<sup>2</sup>/s)  
 $\sigma$  = neutron capture cross section in cm<sup>2</sup>  
 $\lambda$  = The decay constant (s<sup>-1</sup>)  
 $A_t$  = measurable produce activity for length t sec

The no. of the product nuclei produced, N, is given by A<sub>t</sub>/λ which is not necessary to know

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$A_t$  is activity of product if measured immediately at the end of the irradiation (time  $t$ ). This is practically not possible at a finite time  $t'$  lapses b/w the end of irradiation & start of counting, during which time some of the activity would have decayed. The activity now actually measured after an interval of  $t'$  after irradiation is given by

$$A_{t'} = A_t e^{-\lambda t'} = N \phi \sigma (1 - e^{-\lambda t}) e^{-\lambda t'} \quad \text{--- (2)}$$

If  $w_t = W$  g of particular element present in  $x$  g of sample is known from  $W = \frac{NM}{L} = \frac{m A_{t'}}{L \phi \sigma (1 - e^{-\lambda t}) e^{-\lambda t'}} \quad \text{(3)}$

(Input value  $\frac{m A_{t'}}{L \phi \sigma (1 - e^{-\lambda t}) e^{-\lambda t'}}$  from eq (2))

$W$  is computed in gram from eq.

( $m = \text{at wt of element}$   
 $L = \text{Avogadro const.}$ )

In actual practice, the use of eq. (3) is avoided, by irradiating simultaneously & under identical conditions two samples, one standard a known amt. of element  $W^0$  & other unknown  $W$ . If the resulting are  $A_t^0$  (known) &  $A_t$  (unknown)

$$\frac{W}{W^0} = \frac{A_t}{A_t^0}$$

Alternatively, a series of known sample containing  $W_1, W_2, \dots, W_n$  of the element & unknown are irradiated together & form the linear plot of  $W$  versus  $A_t$ , the content of unknown is determined.